

ECE 120: Introduction to Computing

Don't Care Outputs

Some Input Combinations May Not Matter

Sometimes, we don't care whether a particular input combination generates a 0 or a 1.

For example,

- when an **input** combination is **impossible to generate**, or
- when **outputs are ignored** in the case of an input combination.

For Such Inputs, Use 'x' to Indicate "Don't Care"

In such cases, we **use 'x'** (called a **"don't care"**) in place of the desired output.

Indicates that either 0 or 1 is acceptable.

However: **whatever we implement will generate a 0 or a 1**, not a "don't care."

So we need to be sure that we really do not care.

Why Are "Don't Cares" Useful?

More choices often means a "better" answer (for any choice of metric).

Say that you optimize a K-map for a function **F**.

Then you consider several other functions **G**, **H**, and **J**.

If you have to pick one of the four functions (**F**, **G**, **H**, or **J**), the choice can't get worse, since **you can always pick F**, but the best choice may be better than **F**.

N “Don’t Cares” Allows 2^N Different Functions

Using x’s for outputs means allowing more than one function to be chosen.

Each x can become a 0 or a 1.

So optimizing with **N x’s means** choosing from among 2^N possible functions.

An Example with Two “Don’t Cares”

Let’s do an example.

The function **F** appears to the right, partially specified.

		AB			
		00	01	11	10
C	0	0		1	0
	1	1		1	1

Let’s say that we don’t care about the value of **F** when **AB=01**.*

*This notation means **A=0 AND B=1**. You can infer that **AB** in this case does not mean **A AND B** because the product **AB** has a single truth value (0 or 1).

Solution for F with 0s: $AB + B'C$

One option is to fill the blanks with **0s**.*

Then we can solve.

$$F = AB + B'C$$

But we could have chosen values other than **0**, too.

		AB			
		00	01	11	10
C	0	0	0	1	0
	1	1	0	1	1

*Without more information about **F**, filling with **0s** is no better nor worse than any other choice.

Solution for F with a 0 and a 1: $AB + C$

For example, we could put a **0** and a **1**...

And then solve.

$$F = AB + C$$

This function is better than the first one (it has one fewer literal).

		AB			
		00	01	11	10
C	0	0	0	1	0
	1	1	1	1	1

Solution for F with “Don’t Cares”: B + C

Rather than solving for all four possibilities, let’s write **x’s** into the K-map.

The **x’s** can be **0s** or **1s**, so to solve the K-map,

- we **can grow loops to include x’s**,
- but we **do not need to cover x’s**.

$$F = B + C \text{ (the best possible answer)}$$

F	AB			
	00	01	11	10
0	0	x	1	0
1	1	x	1	1

Always Check that “Don’t Cares” Have No Ill Effects

When designing with **x’s**, it’s a good habit to verify that the **0s** and **1s** generated in place of **x’s** do not cause any adverse effects.

For our function, both **x’s** become **1s** because they are inside a loop.

(We don’t have any more context for this example, so we are done.)

F	AB			
	00	01	11	10
0	0	1	1	0
1	1	1	1	1